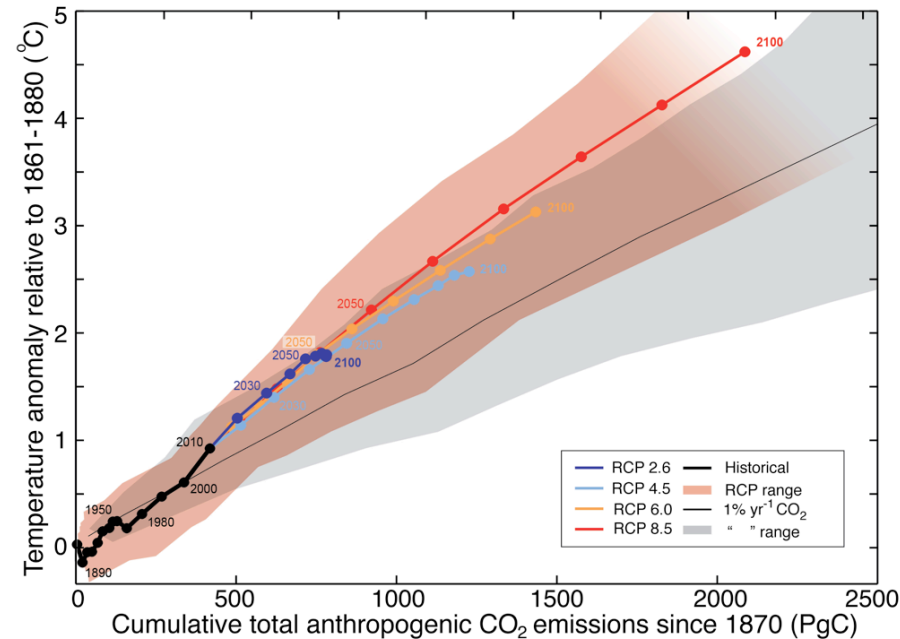


# Climate impacts from the sequestration of heat & CO<sub>2</sub>



IPCC (2013)

Allen et al. (2009) Nature  
Peak warming link to cumulative  
carbon emissions

Explore the role of the ocean in affecting how warming relates to carbon emissions

Southern Ocean is potentially important player in affecting the anthropogenic heat  
and carbon uptake

Talk plan:

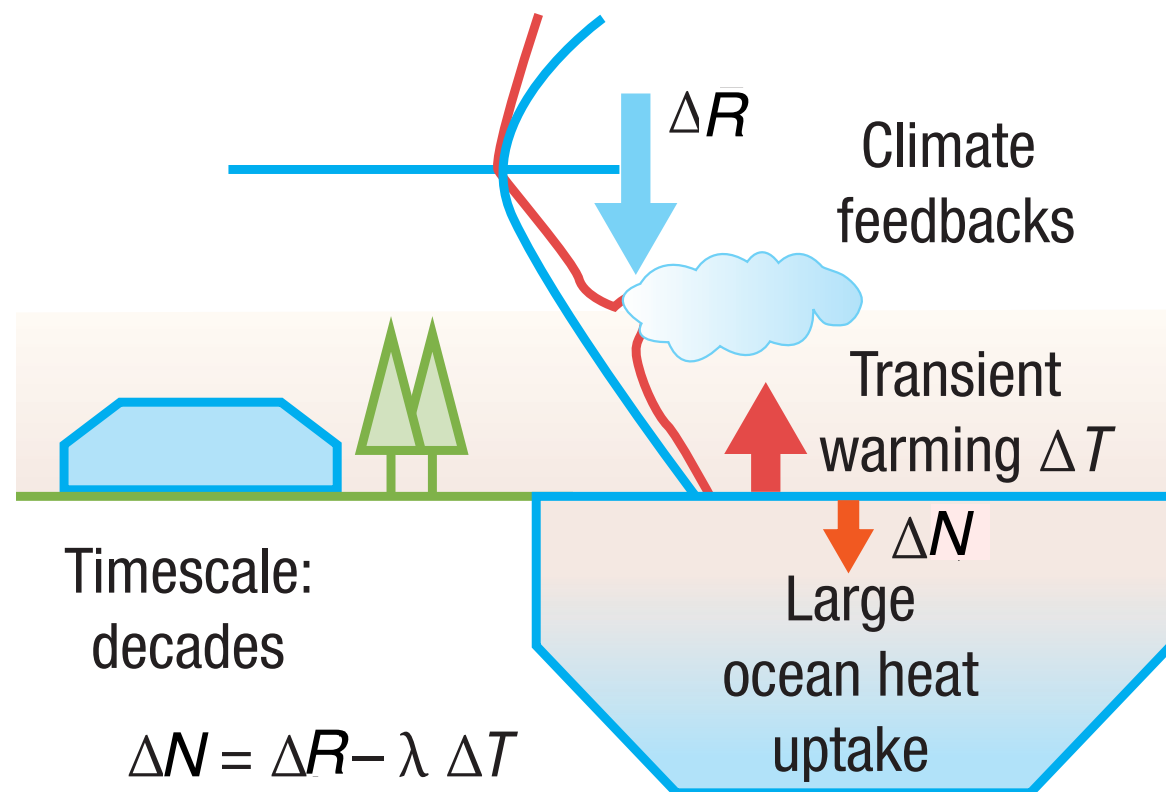
1. Surface warming versus emissions
2. Response for long-term equilibrium
3. Response on multi-decadal timescale
4. Simplified atmosphere-ocean illustration

Phil Goodwin (Southampton), Ric Williams (Liverpool) & Andy Ridgwell (Bristol)

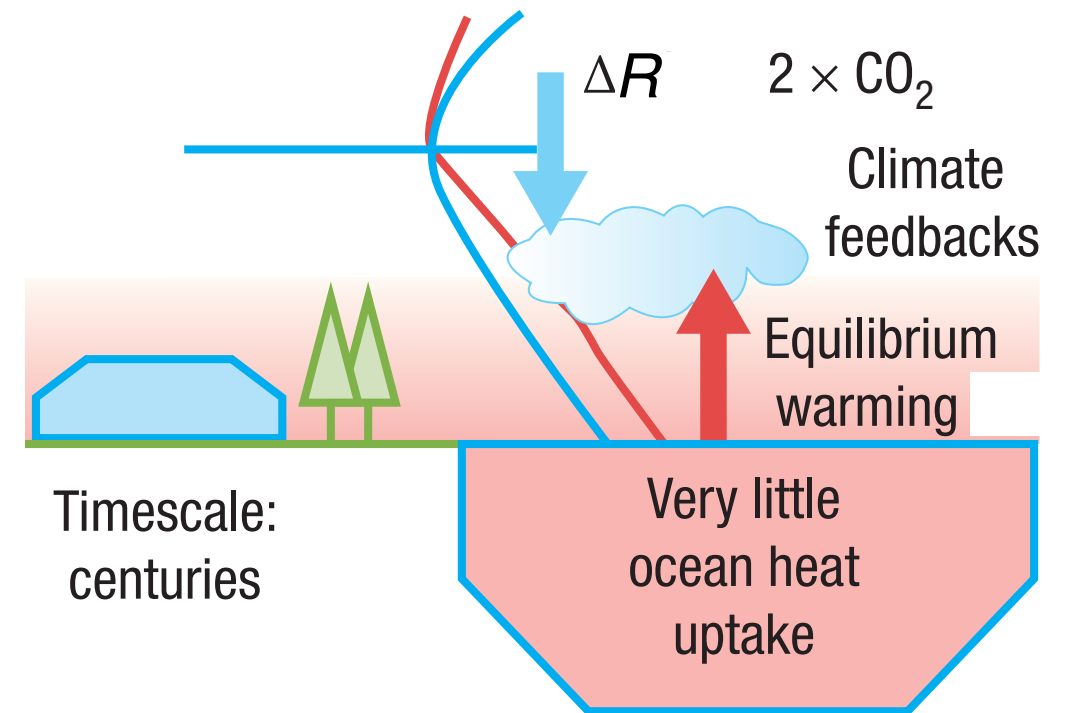
(Goodwin, Williams & Ridgwell, 2015, Nature Geoscience)

# Climate response

climate response after decades



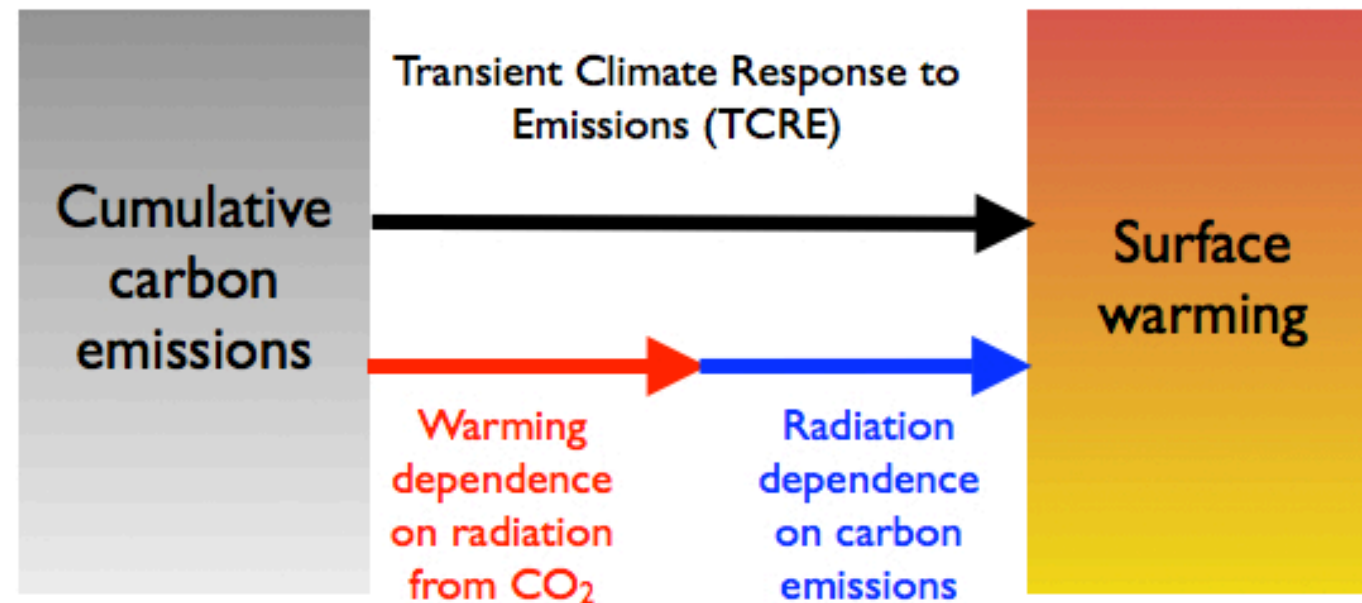
climate response after centuries



from Knutti and Hegerl (2008)

# 1. Surface warming versus cumulative carbon emissions

explore relationship between carbon emissions and warming



$$\Delta T = \left( \frac{\partial T}{\partial R} \right) \left( \frac{\partial R}{\partial I_{em}} \right) \Delta I_{em}$$

$$\Delta T = T(t) - T(t_o)$$

$$\Delta I_{em} = I_{em}(t) - I_{em}(t_o)$$

$$\Delta R = R(t) - R(t_o)$$

aim to reveal competing effects of ocean heat & carbon uptake

avoid many important processes, such as other greenhouse gases, aerosols ...

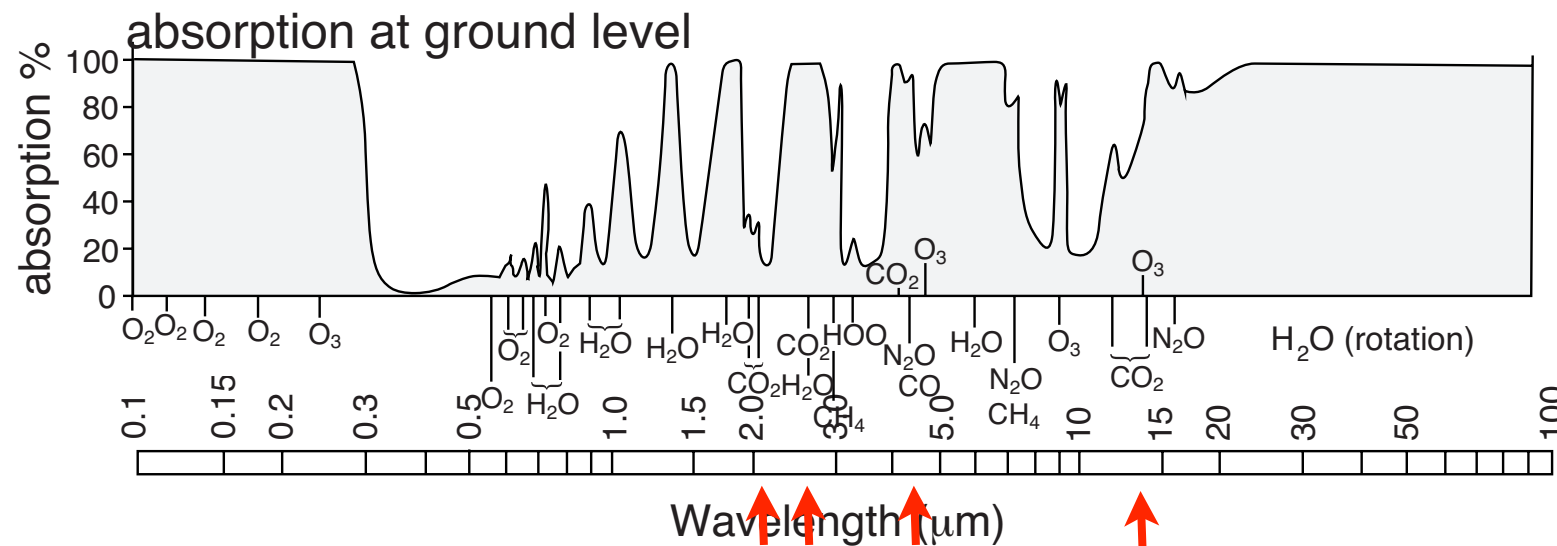
# Temperature links to radiative forcing from CO<sub>2</sub>

$$\Delta T = \frac{\Delta R}{\lambda}$$

$\Delta T$  surface warming change

$\Delta R$  radiative forcing change

$\lambda$  climate feedback parameter



radiative forcing from CO<sub>2</sub> CO<sub>2</sub> bands

$$\Delta R = a \ln(CO_2(t)/CO_2(t_o))$$

$$a = 5.35 W m^{-2}$$

climate sensitivity from CO<sub>2</sub>

$$\Delta T = \Delta T_{2 \times CO_2} \frac{\ln(CO_2(t)/CO_2(t_o))}{\ln 2}$$

$$\Delta T_{2 \times CO_2} = 1.5 \text{ to } 4.5 \text{ K}$$

climate feedback parameter

$$\lambda^{-1} = \frac{\Delta T_{2 \times CO_2}}{a \ln 2}$$

$$\lambda^{-1} = 0.5 \text{ to } 1.2 \text{ K}(W m^{-2})^{-1}$$

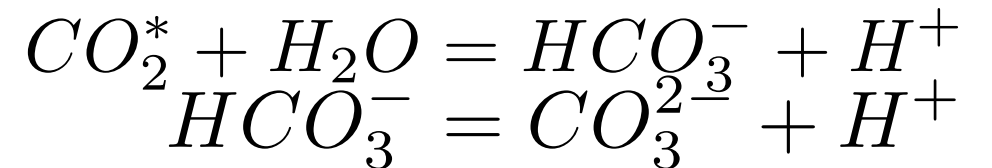
# Atmospheric CO<sub>2</sub> response to carbon emissions

What is the effect of more CO<sub>2</sub>?

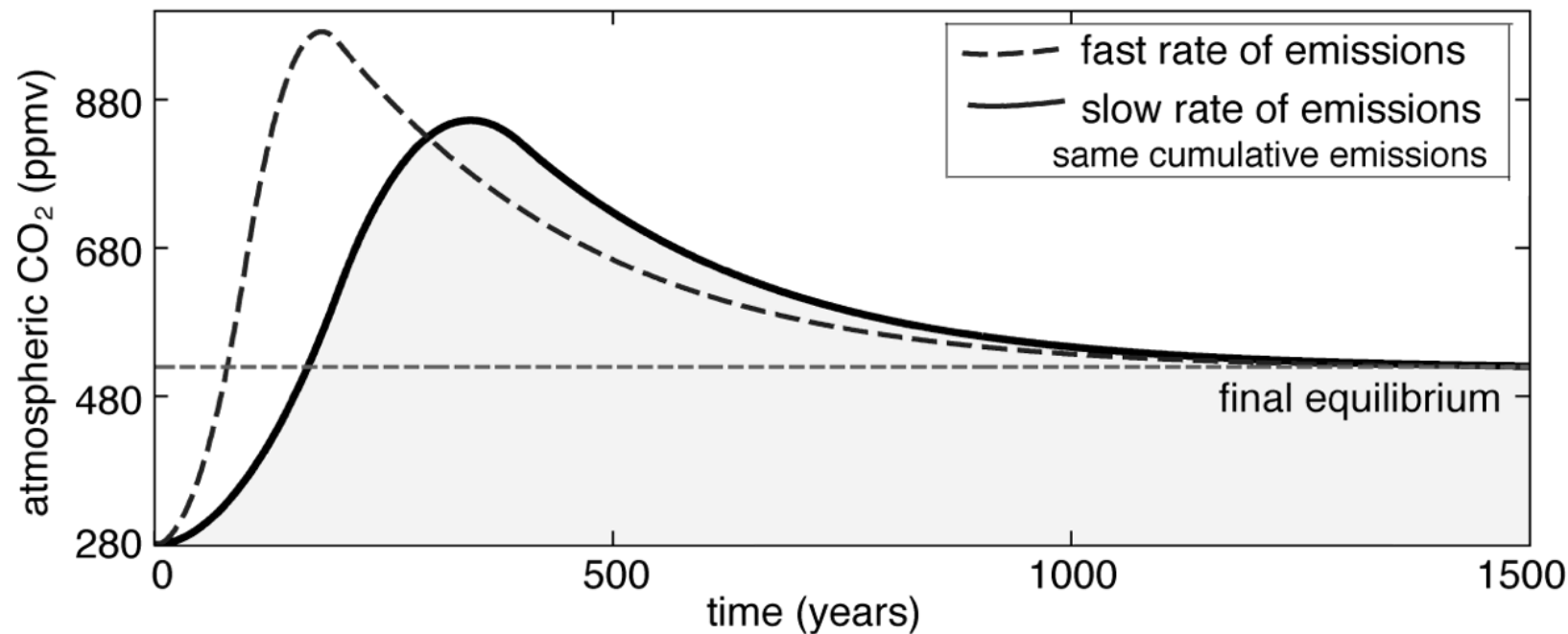
oceans become more acidic

inhibits further ocean uptake

reactions in seawater



Effect of external inputs of carbon: (a) transient response



$$CO_2(t_{equilib}) = CO_2(t_o) \exp(\Delta I_{em} / I_B)$$
$$\Delta I_{em} = I_{em}(t) - I_{em}(t_o)$$
$$I_B = I_{Atmos} + C_{sat} / B$$

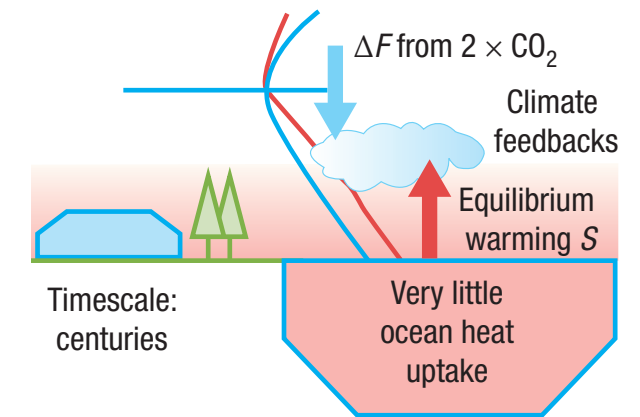
is 3500 PgC

$$\Delta \ln CO_2 = \frac{\Delta I_{em}}{I_B}$$

Goodwin et al. (2007) GBC  
Goodwin et al. (2009) Nature Geoscience

## 2. Climate response as air-sea equilibrium is approached

$$\Delta T = \left( \frac{\partial T}{\partial R} \right) \left( \frac{\partial R}{\partial I_{em}} \right) \Delta I_{em}$$



$$\Delta T = \frac{1}{\lambda} \Delta R$$

$$\Delta R = a \Delta \ln \text{CO}_2$$

$$\Delta \ln \text{CO}_2 = \frac{\Delta I_{em}}{I_B}$$

$$a = 5.35 \text{ W m}^{-2}$$

$$\Delta \ln \text{CO}_2 = \ln \text{CO}_2(t) - \ln \text{CO}_2(t_o)$$

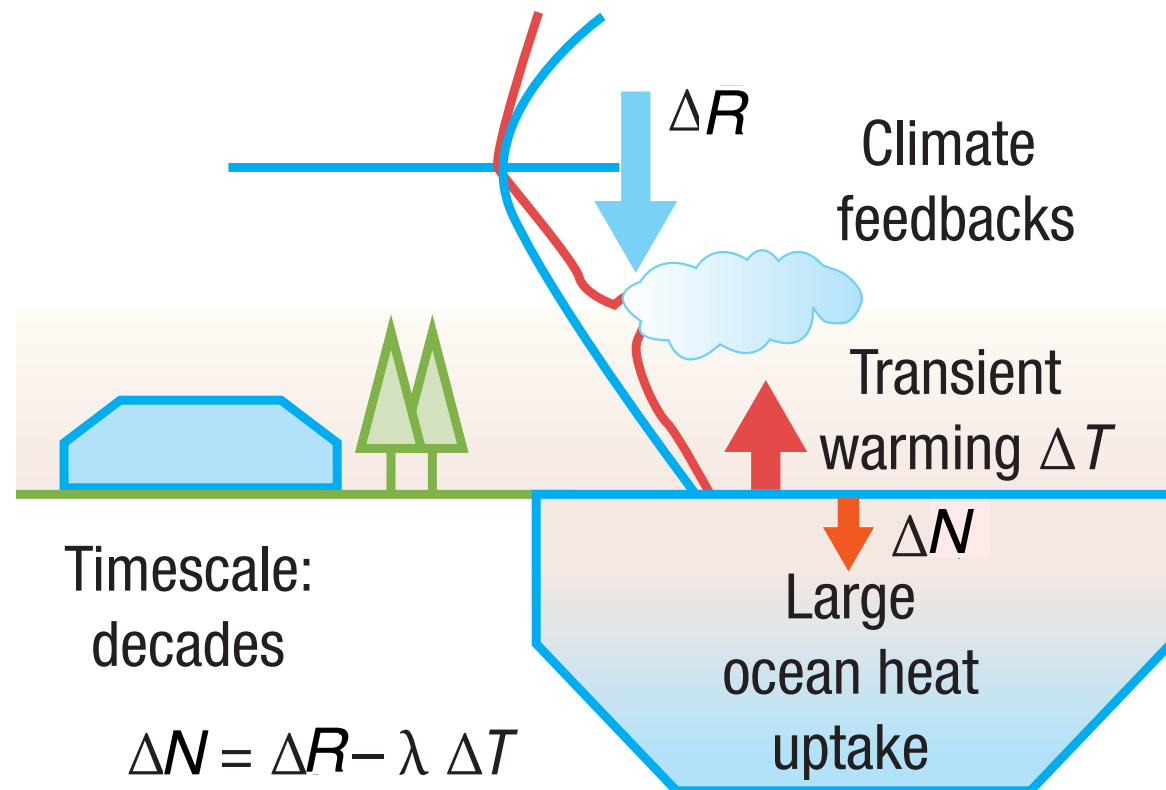
$$I_B = 3500 \text{ PgC}$$

$$\Delta T = \left( \frac{1}{\lambda} \right) \left( \frac{a}{I_B} \right) \Delta I_{em}$$

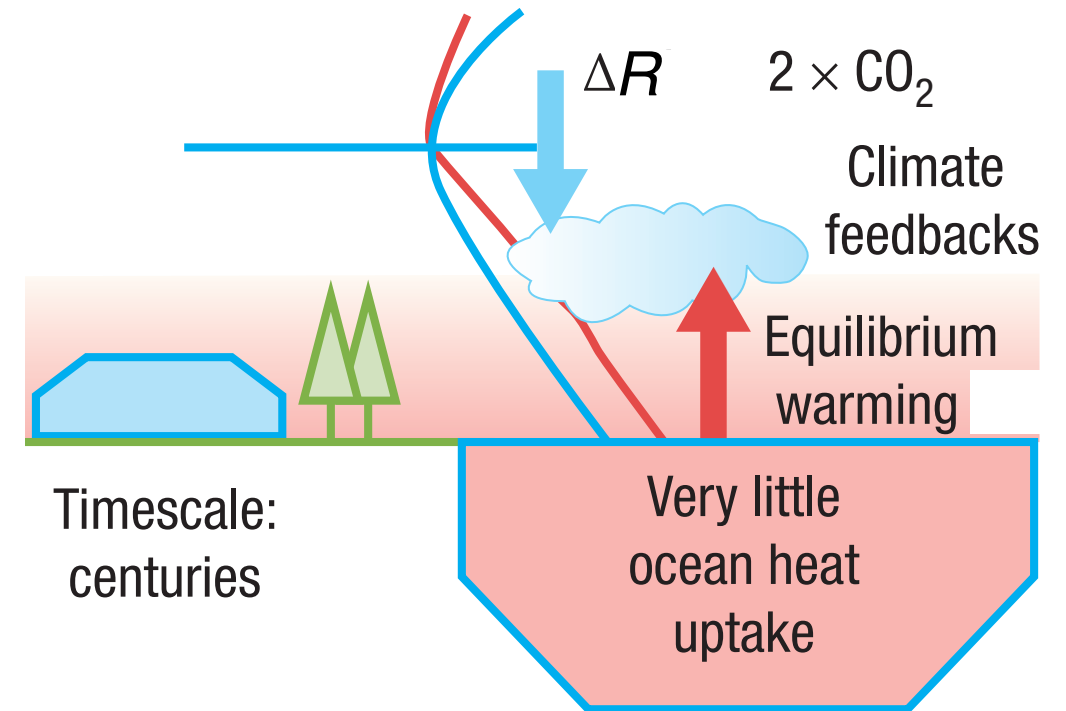
$$\Delta T / \Delta I_{em} \sim 1.2 \pm 0.7 \text{ K per } 1000 \text{ PgC}$$

# Climate response

climate response after decades



climate response after centuries



from Knutti and Hegerl (2008)

### 3. Climate response on multi-decadal timescales

$$\Delta T = \left( \frac{\partial T}{\partial R} \right) \left( \frac{\partial R}{\partial I_{em}} \right) \Delta I_{em}$$

warming dependence on radiative forcing from CO<sub>2</sub>

$$\Delta T = \frac{1}{\lambda} (\Delta R - \epsilon N)$$

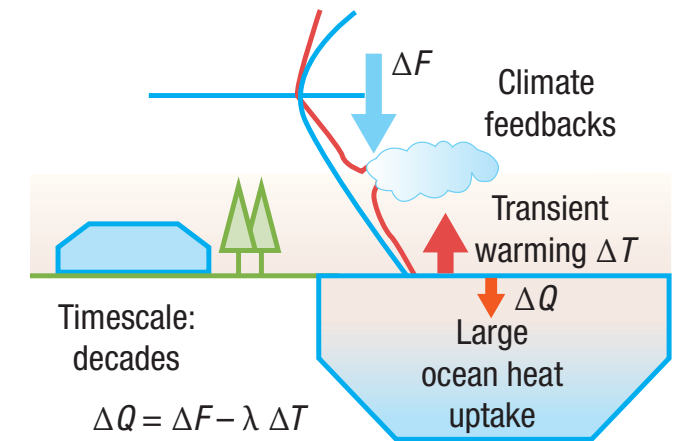
$$\Delta T = \frac{1}{\lambda} \left( 1 - \frac{\epsilon N}{\Delta R} \right) \Delta R$$

$$\Delta T = \frac{1}{\lambda} (1 - N^*) \Delta R$$

surface  
temperature  
change

normalised ocean  
heat uptake

radiative forcing  
from CO<sub>2</sub>



$N$  ocean heat uptake  
 $\epsilon$  efficacy

normalised ocean  
heat uptake

$$N_* = \frac{\epsilon N}{\Delta R}$$



### 3. Climate response on multi-decadal timescales for atmosphere-ocean system

$$\Delta T = \left( \frac{\partial T}{\partial R} \right) \left( \frac{\partial R}{\partial I_{em}} \right) \Delta I_{em}$$

radiative forcing dependence on cumulative carbon emissions

$$\Delta R = a \Delta \ln CO_2$$

$$\Delta \ln CO_2(t) = \frac{\Delta I_{em}(t) + I_{U sat}(t)}{I_B}$$

$I_{U sat}$  ocean carbon undersaturation

$$\Delta R = \frac{a}{I_B} \left( 1 + \frac{I_{U sat}}{\Delta I_{em}} \right) \Delta I_{em}$$

normalised ocean carbon undersaturation

$$I_{U sat}^* = \frac{I_{U sat}}{\Delta I_{em}}$$

$$\Delta R = \frac{a}{I_B} (1 + I_{U sat}^*) \Delta I_{em}$$

radiative forcing  
from CO<sub>2</sub>

normalised ocean  
carbon  
undersaturation

cumulative  
emissions

(Goodwin et al. 2015, Nature Geoscience)

### 3. Climate response on multi-decadal timescales for atmosphere-ocean system

$$\Delta T = \left( \frac{\partial T}{\partial R} \right) \left( \frac{\partial R}{\partial I_{em}} \right) \Delta I_{em}$$

normalised ocean  
heat uptake

$$\Delta T = \frac{1}{\lambda} (1 - N^*) \Delta R$$

surface temperature change      normalised ocean heat uptake      radiative forcing from CO<sub>2</sub>

$$N^* = \frac{\epsilon N}{\Delta R}$$

$$\Delta R = \frac{a}{I_B} (1 + I_{U sat}^*) \Delta I_{em}$$

radiative forcing from CO<sub>2</sub>      normalised ocean carbon undersaturation      cumulative emissions

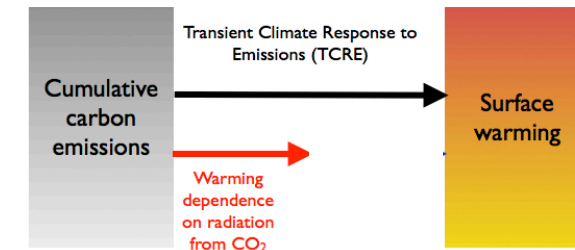
normalised ocean  
carbon undersaturation

$$I_{U sat}^* = \frac{I_{U sat}}{\Delta I_{em}}$$

$$\Delta T = \frac{1}{\lambda} (1 - N^*) \frac{a}{I_B} (1 + I_{U sat}^*) \Delta I_{em}$$

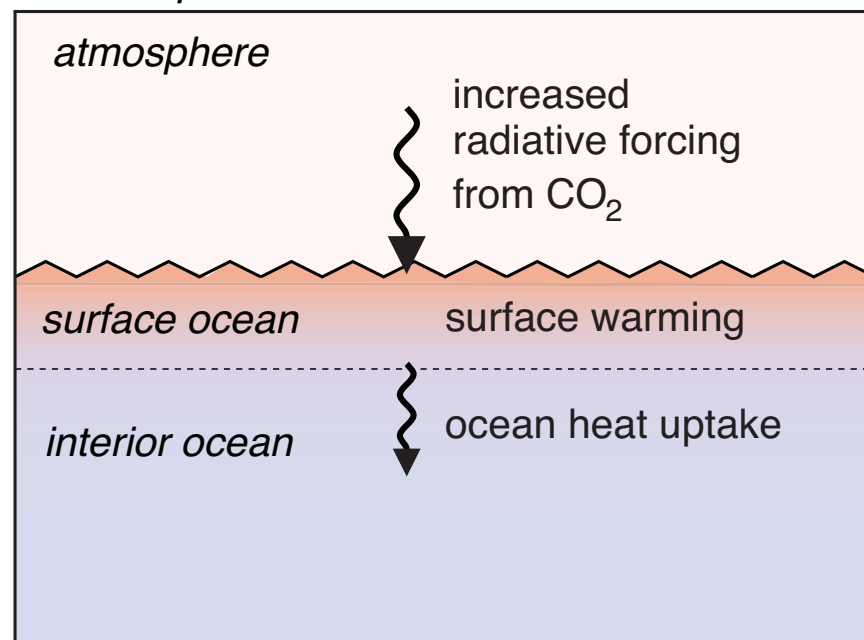
### 3. Climate response on multi-decadal timescales

$$\Delta T(t) = \frac{1}{\lambda} (1 - N^*(t)) \frac{a}{I_B} (1 + I_{U_{sat}}^*(t)) \Delta I_{em}(t)$$

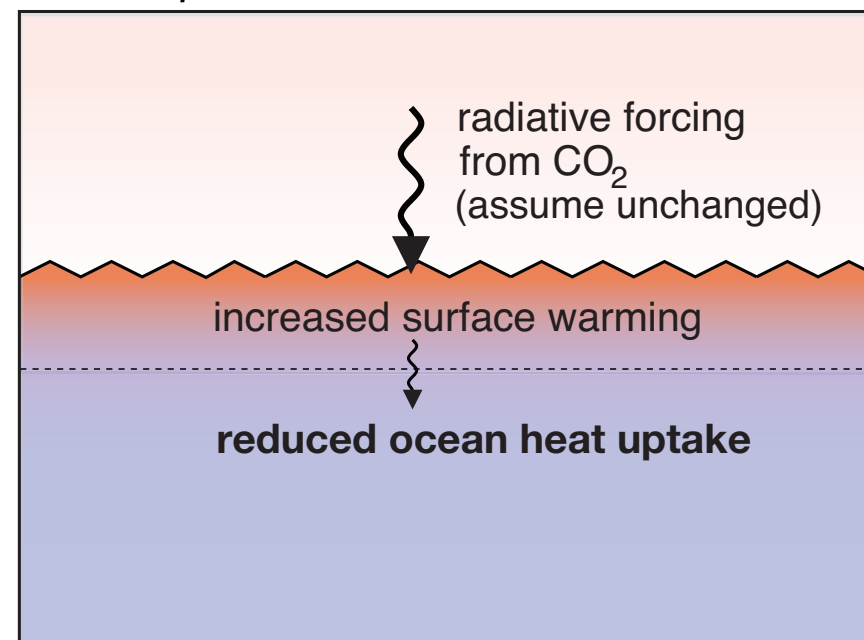


how does surface warming vary in time?

*initial response from emissions*



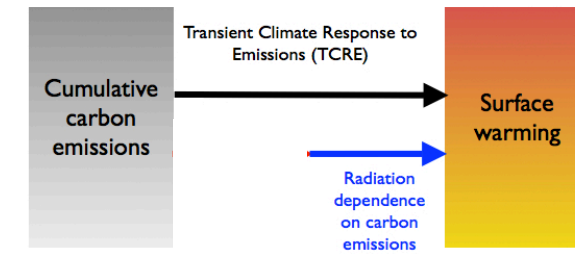
*later response after emissions*



surface warming *increases* in time  
due to **weakening ocean heat uptake**

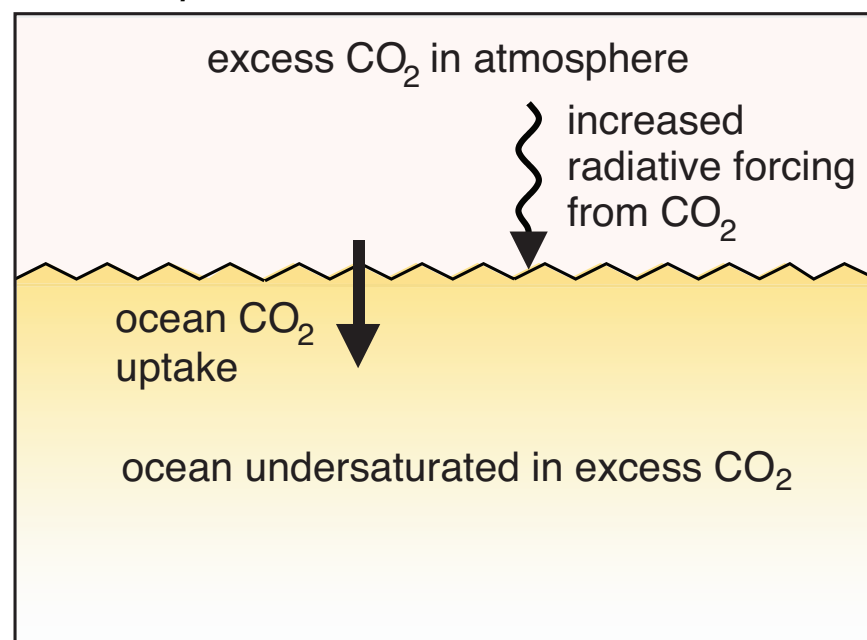
### 3. Climate response on multi-decadal timescales

$$\Delta T(t) = \frac{1}{\lambda} (1 - N^*(t)) \left( \frac{a}{I_B} (1 + I_{U sat}^*(t)) \right) \Delta I_{em}(t)$$

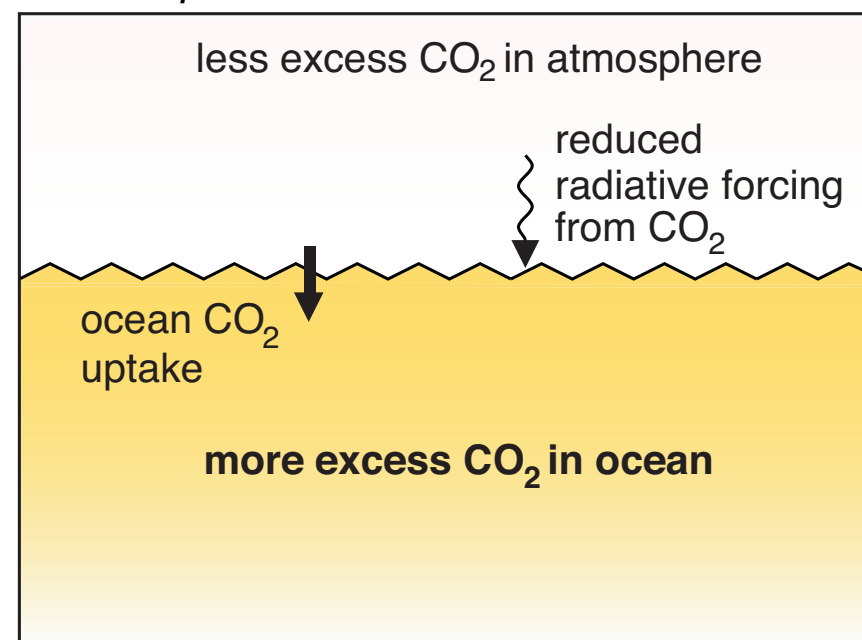


how does radiative forcing vary in time?

*initial response from emissions*



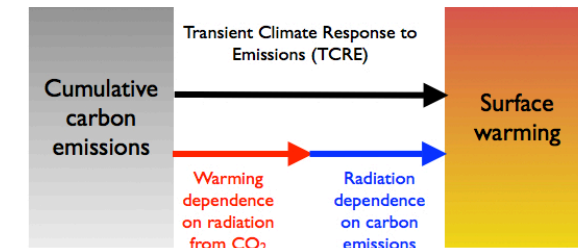
*later response after emissions*



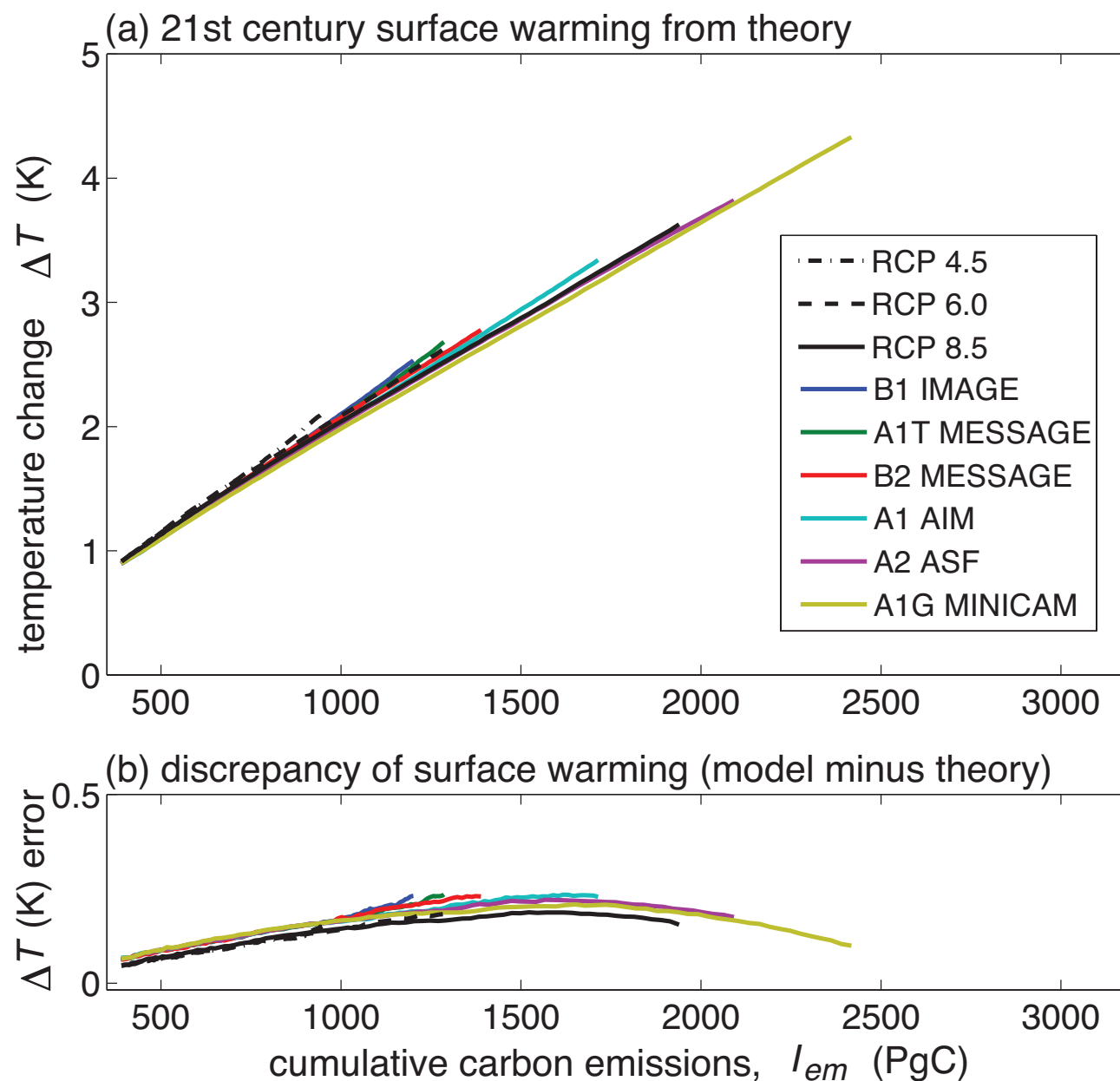
radiative forcing *decreases* in time  
due to ocean carbon uptake

### 3. Climate response on multi-decadal timescales

$$\Delta T(t) = \frac{1}{\lambda} (1 - N^*(t)) \frac{a}{I_B} (1 + I_{U sat}^*(t)) \Delta I_{em}(t)$$

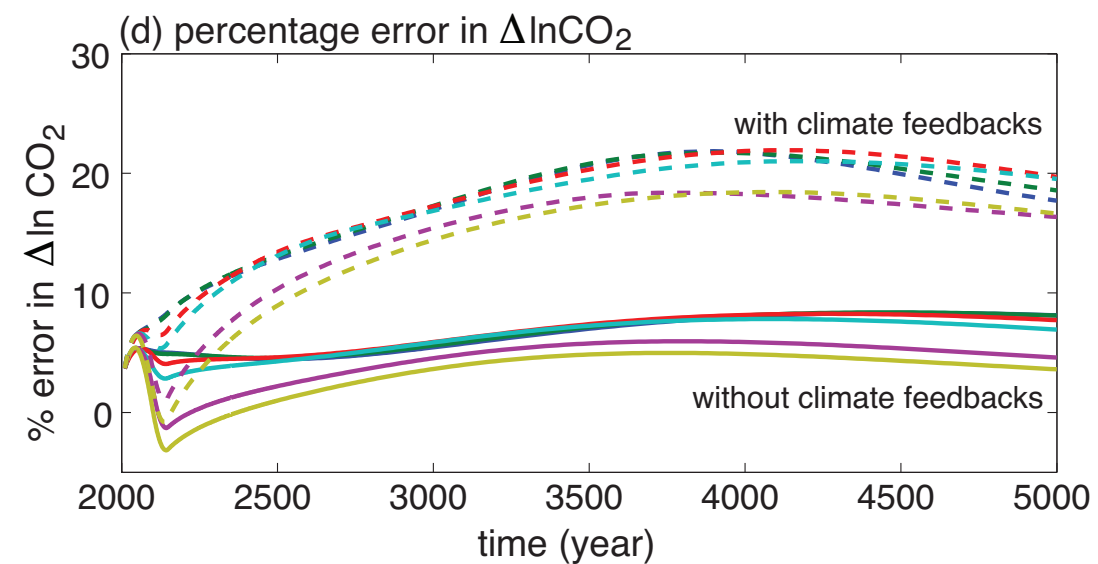
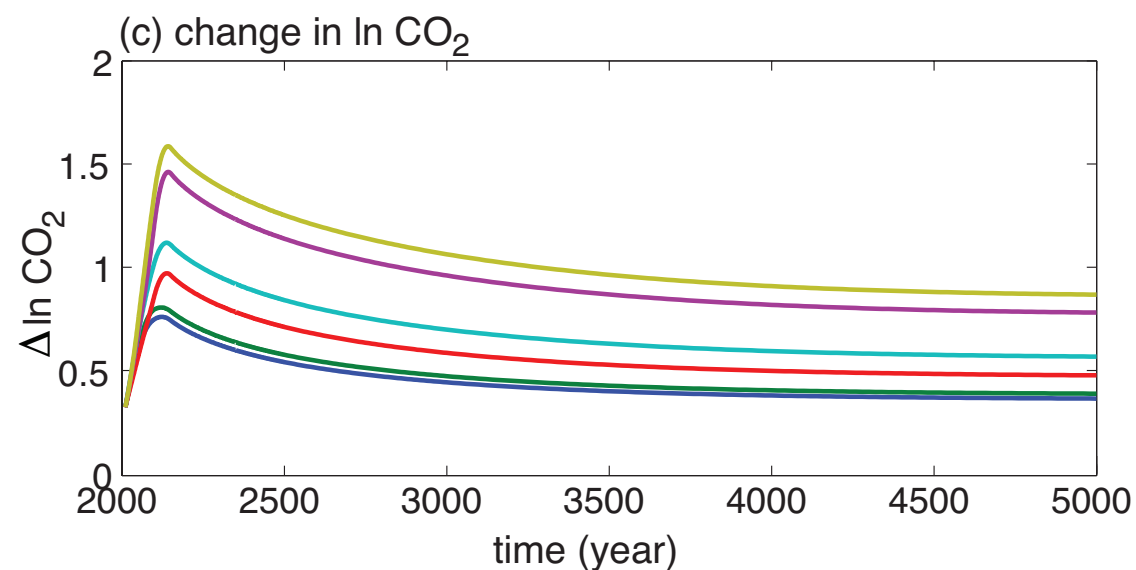
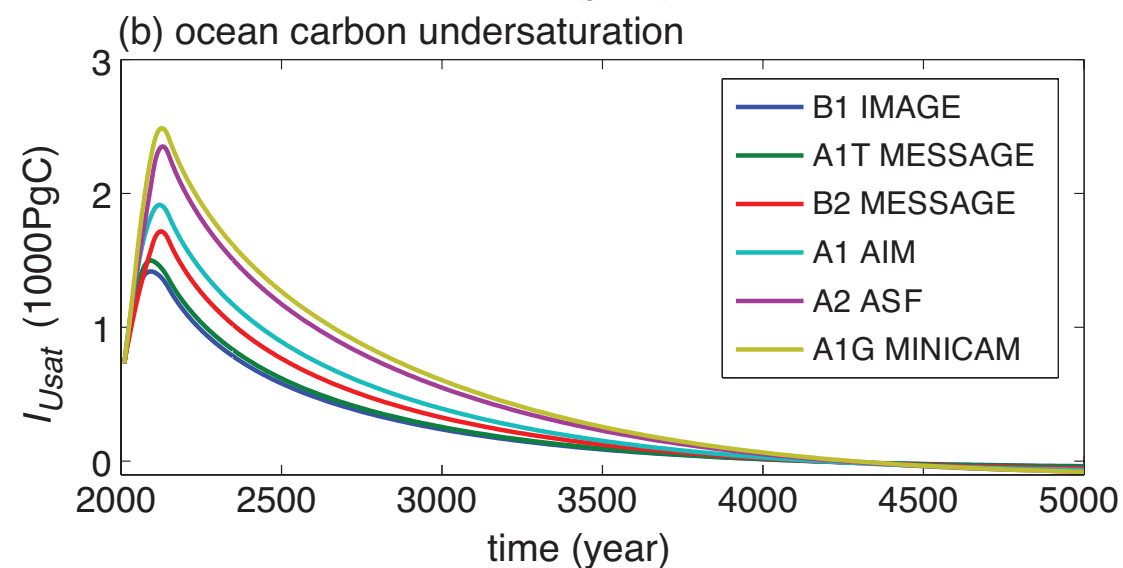
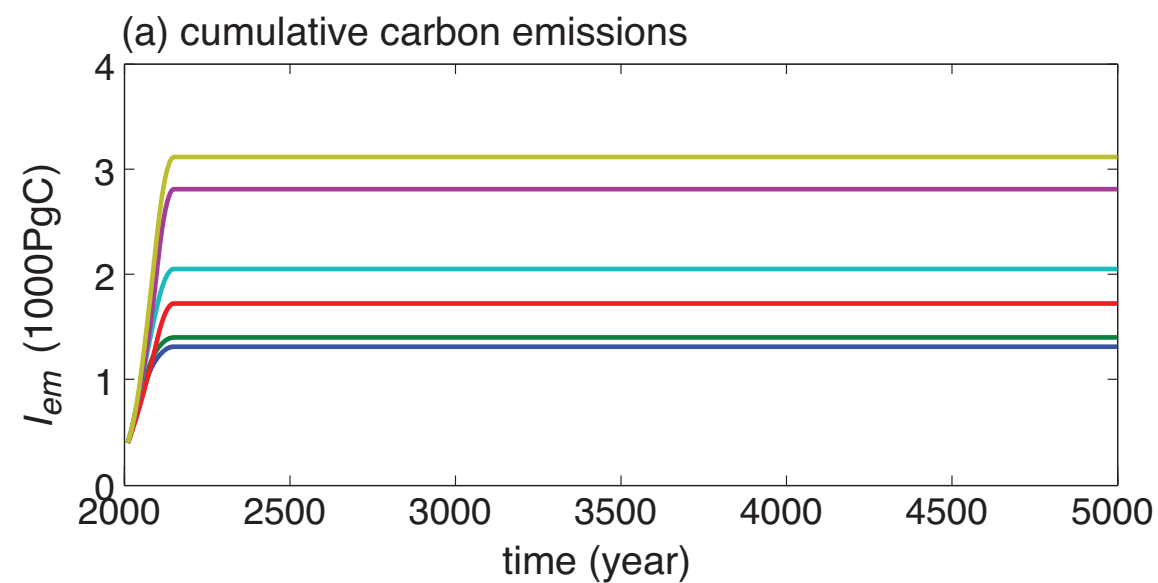


Our tests of an atmosphere-ocean only (GENIE) model



(Goodwin et al. 2015, Nature Geoscience)

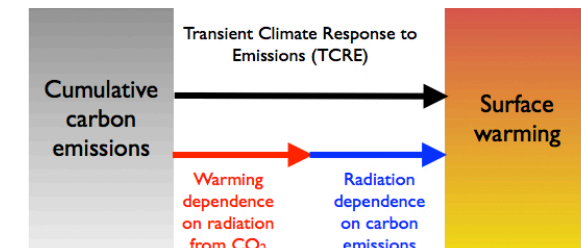
## Our tests of an atmosphere-ocean only (GENIE) model



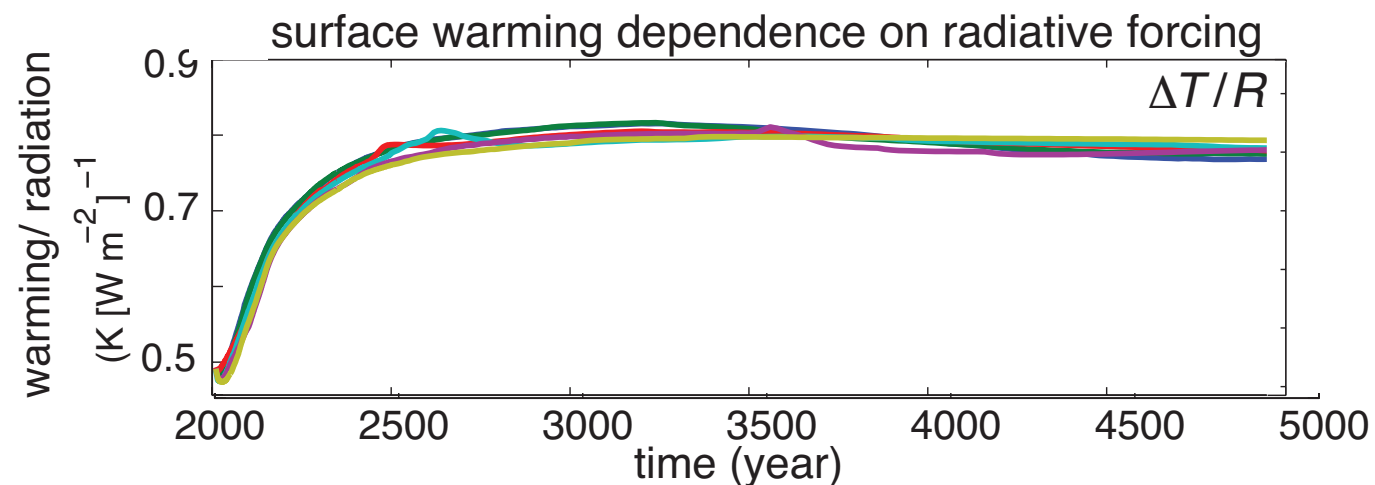
(Goodwin et al. 2015, Nature Geoscience)

### 3. Climate response on multi-decadal timescales

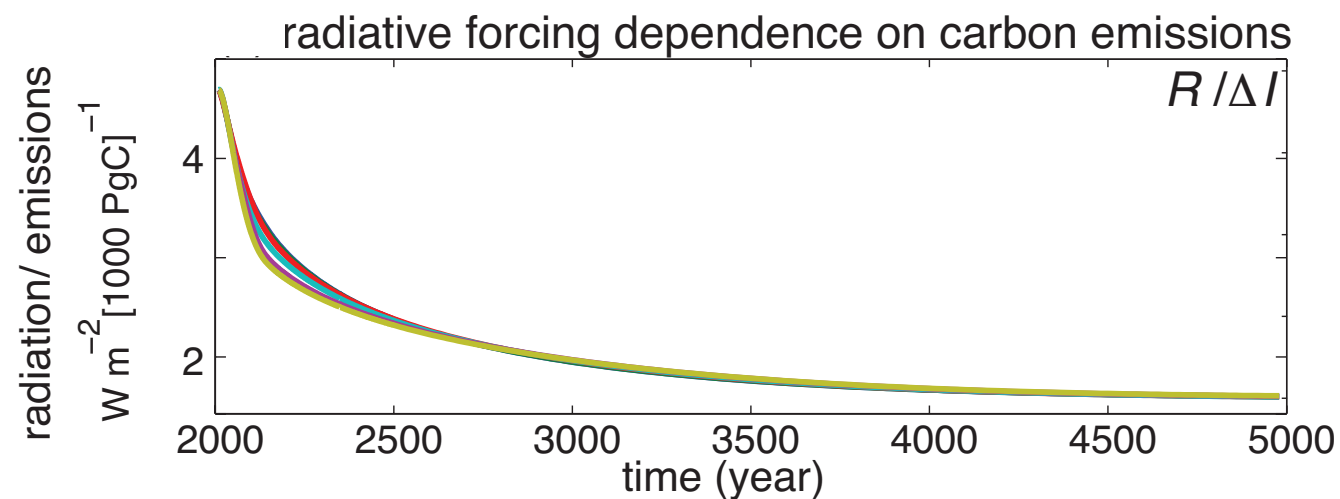
$$\Delta T(t) = \frac{1}{\lambda} (1 - N^*(t)) \frac{a}{I_B} (1 + I_{U_{sat}}^*(t)) \Delta I_{em}(t)$$



surface warming *increases* in time due to weakening ocean heat uptake

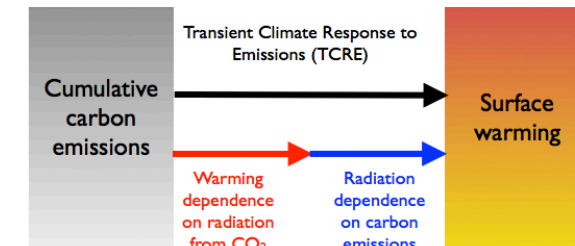


radiative forcing *decreases* in time due to ocean carbon uptake

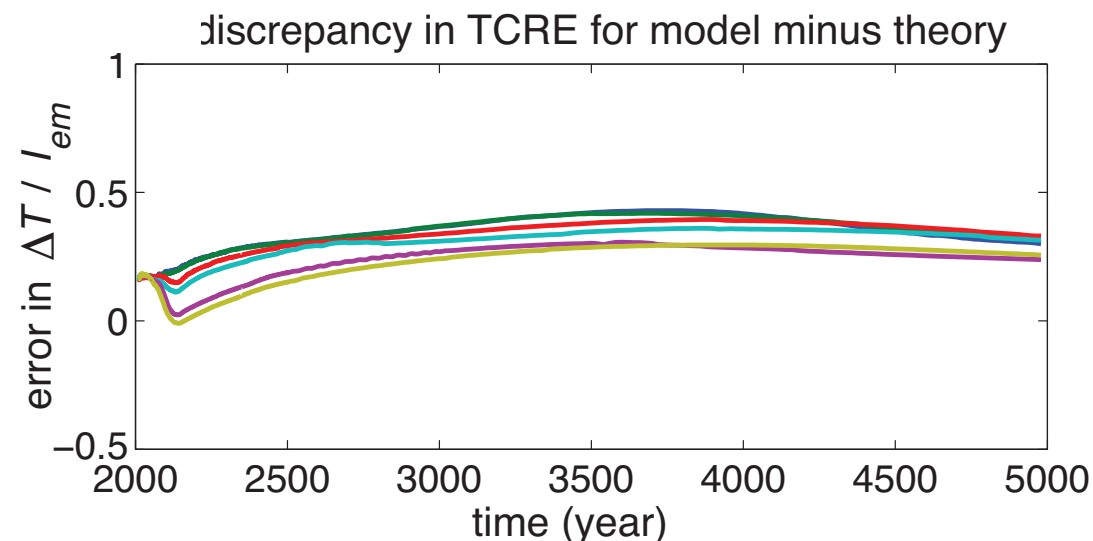
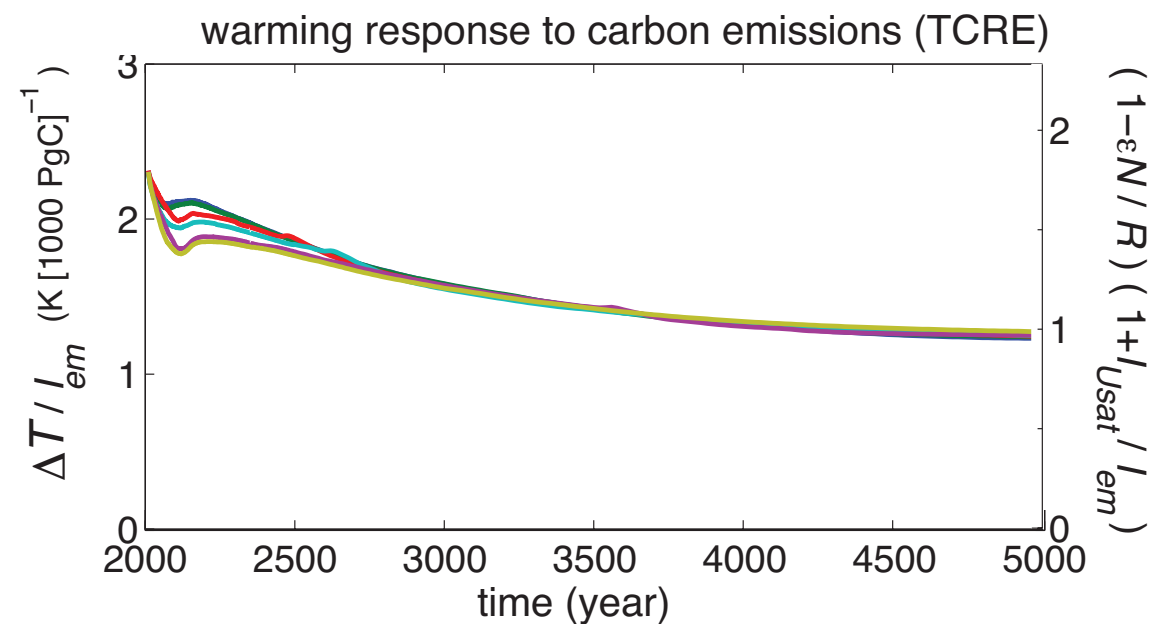


### 3. Climate response on multi-decadal timescales

$$\Delta T(t) = \frac{1}{\lambda} (1 - N^*(t)) \frac{a}{I_B} (1 + I_{U_{sat}}^*(t)) \Delta I_{em}(t)$$



The TCRE changes by factor 2 over 5000 years in the GENIE model





## Quantifying the Transient Climate Response to Emissions

$$\Delta T = \frac{1}{\lambda} (1 - N^*) \frac{a}{I_B} (1 + I_{U sat}^* - \Delta I_{ter}^*) \Delta I_{em}$$

$\Delta I_{ter}$  change in terrestrial sink since preindustrial

$$\Delta I_{ter}^* = \Delta I_{ter} / \Delta I_{em}$$

at 2011, cumulative emissions  
atmospheric C increase  
ocean C increase  
terrestrial C increase

$\Delta I_{em}$  545 +/- 85 PgC

240 +/- 10 PgC

155 +/- 30 PgC

$\Delta I_{ter}$  150 +/- 90 PgC

$\Delta I_{ter}^*$  0.28 +/- 0.2

ocean carbon undersaturation

$I_{U sat}$  797 +/- 30 PgC

$I_{U sat}^*$  1.5 +/- 0.4

$\Delta T / \Delta I_{em} \sim 1.5 \pm 0.7$  K per 1000 PgC for atmosphere-ocean only

1.1 +/- 0.5 K per 1000 PgC for atmosphere-ocean-terrestrial system

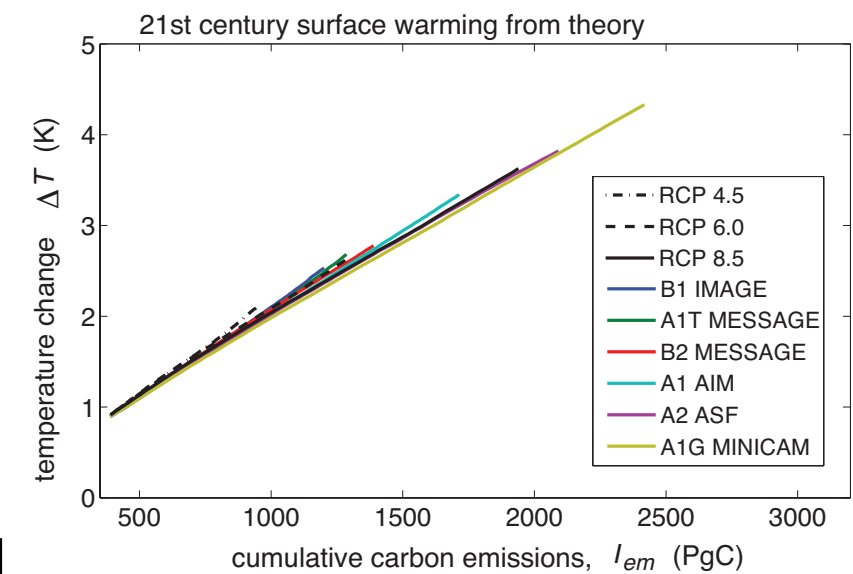
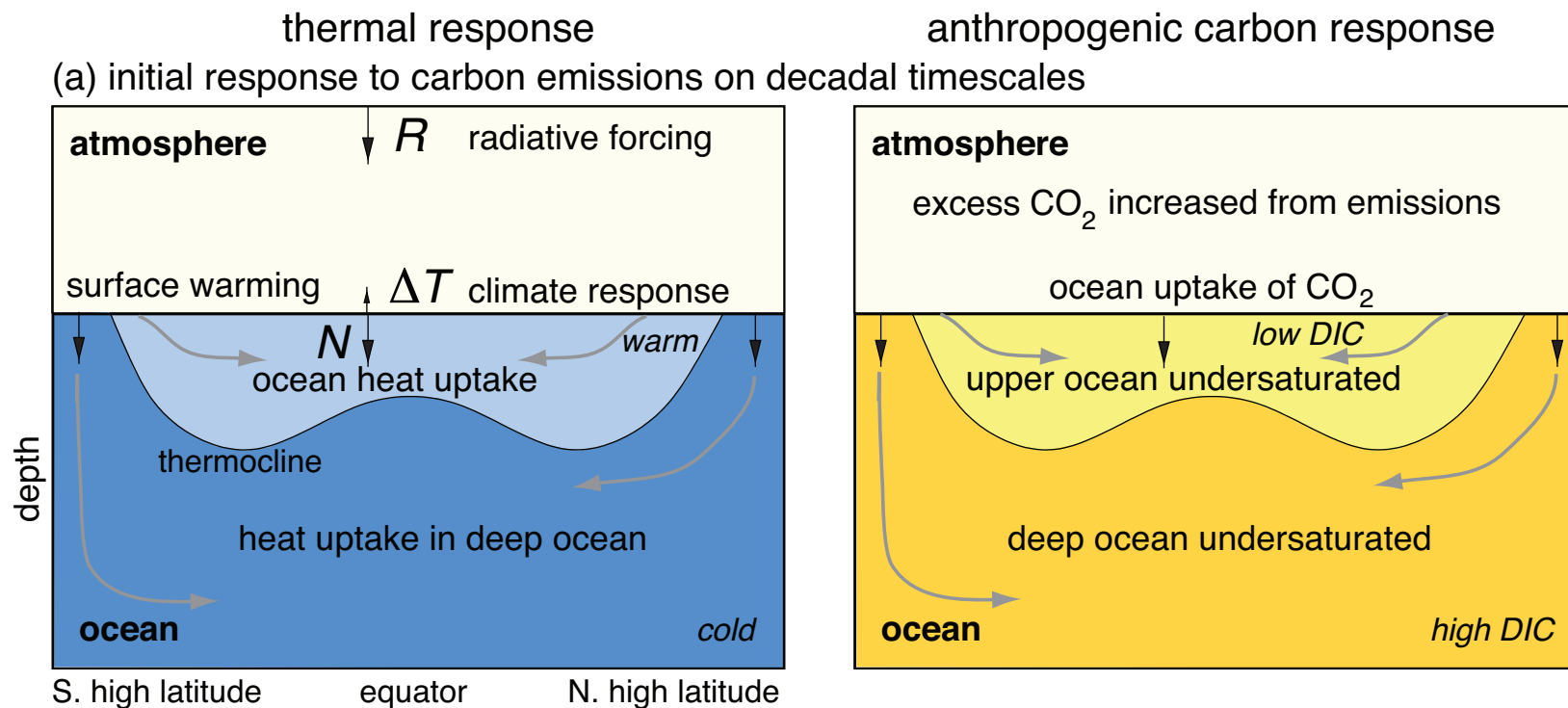
For 2100, based on synthesis of coupled CIMP4 terrestrial coupled models  
(Friedlingstein et al., 2006)

normalised change in terrestrial sink for 2100  $\Delta I_{ter}^*$  0.27 to 0.14

implied terrestrial change from 2011 to 2100 in  $\Delta T / \Delta I_{em}$  is 10% to -21%

# Conclusions

$$\Delta T = \frac{1}{\lambda} (1 - N^*) \frac{a}{I_B} (1 + I_{U_{sat}}^* - \Delta I_{ter}^*) \Delta I_{em}$$



Goodwin, Williams & Ridgwell (2015)

- The ocean heat uptake & carbon undersaturation partly compensate, helps determine how carbon emissions translate into global warming  
modified by terrestrial drawdown, other greenhouse gases, aerosols ....
- Ventilation in the Southern Ocean is likely to play a particularly important role.
- Multidecadal variability in this relationship likely to be mainly from the heat flux